



On April 21, 2010 NASA's Solar Dynamics Observatory released its much-awaited 'First Light' images of the Sun. Among them was a sequence of images taken on March 30, showing an eruptive prominence ejecting millions of tons of plasma into space. The three images to the left show selected scenes from the first 'high definition' movie of this event. The top image was taken at 17:50:49, the middle image at 18:02:09 and the bottom image at 18:13:29.

Problem 1 – The width of the image is 300,000 kilometers. Using a millimeter ruler, what is the scale of these images in kilometers/millimeter?

Problem 2 – If the Earth were represented by a disk the size of a penny (10 millimeters), on this same scale how big was the loop of the eruptive prominence in the bottom image if the radius of Earth is 6,378 kilometers?

Problem 3 – What was the average speed of the prominence in A) kilometers/second? B) Kilometers/hour? C) Miles/hour?

For additional views of this prominence, see the NASA/SDO movies at:

<http://svs.gsfc.nasa.gov/vis/a000000/a003600/a003693/index.html>

or to read the Press Release:

http://www.nasa.gov/mission_pages/sdo/news/first-light.html

Problem 1 – The width of the image is 300,000 kilometers. Using a millimeter ruler, what is the scale of these images in kilometers/millimeter?

Answer: The width is 70 millimeters so the scale is $300,000 \text{ km}/70 \text{ mm} = \mathbf{4,300 \text{ km/mm}}$

Problem 2 – If the Earth were represented by a disk the size of a penny (10 millimeters), on this same scale how big was the loop of the eruptive prominence in the bottom image if the radius of Earth is 6,378 kilometers?

Answer: **The diameter of the loop is about 35 millimeters or $35 \text{ mm} \times 4300 \text{ km/mm} = 150,000 \text{ km}$. The diameter of Earth is 13,000 km, so the loop is 12 times the diameter of Earth. At the scale of the penny, 13 penny/Earth's can fit across a scaled drawing of the loop.**

Problem 3 – What was the average speed of the prominence in A) kilometers/second? B) Kilometers/hour? C) Miles/hour?

Answer: Speed = distance traveled / time elapsed.

In the bottom image, draw a straight line from the lower right corner THROUGH the peak of the coronal loop. Now draw this same line at the same angle on the other two images. With a millimeter ruler, measure the distance along the line from the lower right corner to the edge of the loop along the line. Example:

Top: 47 mm ;

Middle: 52 mm,

Bottom: 67 mm.

The loop has moved $67 \text{ mm} - 47 \text{ mm} = 20 \text{ millimeters}$. At the scale of the image this equals $20 \text{ mm} \times 4,300 \text{ km/mm}$ so $D = 86,000 \text{ km}$.

The time between the bottom and top images is $18:13:29 - 17:50:49$ or 22minutes and 40 seconds or 1360 seconds.

A) The average speed of the loop is then $S = 86,000 \text{ km}/1360 \text{ sec} = \mathbf{63 \text{ km/sec}}$.

B) $63 \text{ km/sec} \times 3600 \text{ sec/hr} = \mathbf{227,000 \text{ km/hour}}$.

C) $227,000 \text{ km/hr} \times 0.62 \text{ miles/km} = \mathbf{140,000 \text{ miles/hour}}$.