



Damage to Space Shuttle Endeavor in 2000 from a micrometeoroid or debris impact. The crater is about 1mm across. (Courtesy - JPL/NASA)

Without an atmosphere, there is nothing to prevent millions of pounds a year of rock and ice fragments from raining down upon the lunar surface.

Traveling at 10,000 miles per hour (19 km/s), they are faster than a speeding bullet and are utterly silent and invisible until they strike.

Is this something that lunar explorers need to worry about?

Problem 1 - Between 1972 and 1992, military infra-sound sensors on Earth detected 136 atmospheric detonations caused by meteors releasing blasts carrying an equivalent energy of nearly 1,000 tons of TNT - similar to small atomic bombs, but without the radiation. If the radius of Earth is 6,378 km, A) what is the rate of these deadly impacts on Earth in terms of impacts per km^2 per year? B) Assuming that the impact rates are the same for Earth and the Moon, suppose a lunar colony has an area of 10 km^2 . How many years would they have to wait between meteor impacts?

Problem 2 - Between 2005-2007, NASA astronomers counted 100 flashes of light from meteorites striking the lunar surface - each equivalent to as much as 100 pounds of TNT. If the surveyed area equaled $1/4$ of the surface area of the Moon, and the lunar radius is 1,737 km, A) What is the arrival rate of these meteorites in meteorites per km^2 per year? B) If a lunar colony has an area of 10 km^2 , how long on average would it be between impacts?

Problem 3 - According to H.J. Melosh (1981) meteoroids as small as 1-millimeter impact a body with a 100-km radius about once every 2 seconds. A) What is the impact rate in units of impacts per m^2 per hour? B) If an astronaut spent a cumulative 1000 hours moon-walking and had a spacesuit surface area of 10 m^2 , how many of these deadly impacts would he receive? C) How would you interpret your answer to B)?

Answer Key

Problem 1 - A) The surface area of Earth is $4 \pi (6378)^2 = 5.1 \times 10^8 \text{ km}^2$. The rate is $R = 136 \times 10 \text{ impacts} / 20 \text{ years} / 5.1 \times 10^8 \text{ km}^2 = \mathbf{1.3 \times 10^{-7} \text{ impacts/km}^2/\text{year}}$.

B) The number of impacts/year would be $1.3 \times 10^{-7} \text{ impacts/km}^2/\text{year} \times 10 \text{ km}^2 = 1.3 \times 10^{-6} \text{ impacts/year}$. The time between impacts would be $1/1.3 \times 10^{-6} = \mathbf{769,000 \text{ years!}}$

Problem 2 - A) The total surface area of the Moon is $4 \pi (1737)^2 = 3.8 \times 10^7 \text{ km}^2$. Only 1/4 of this is surveyed so the area is $9.5 \times 10^5 \text{ km}^2$. Since 100 were spotted in 2 years, the arrival rate is $R = 100 \text{ impacts}/2 \text{ years}/ 9.5 \times 10^5 \text{ km}^2 = \mathbf{5.3 \times 10^{-5} \text{ impacts/km}^2/\text{year}}$.

B) The rate for this area is $10 \text{ km}^2 \times 5.3 \times 10^{-5} \text{ impacts/km}^2/\text{year} = 5.3 \times 10^{-4} \text{ impacts/year}$, so the time between impacts is about $1/ 5.3 \times 10^{-4} = \mathbf{1,900 \text{ years}}$

Problem 3 - A) A sphere 100-km in radius has a surface area of $4 \pi (100,000)^2 = 1.3 \times 10^{11} \text{ m}^2$. The impacts arrive every 2 seconds on average, which is $2/3600 = 5.6 \times 10^{-4} \text{ hours}$. The rate is, therefore, $R = 1 \text{ impacts} / (1.3 \times 10^{11} \text{ m}^2 \times 5.6 \times 10^{-4} \text{ hours}) = \mathbf{1.4 \times 10^{-8} \text{ impacts/m}^2/\text{hour}}$.

B) The number of impacts would be $1.4 \times 10^{-8} \text{ impacts/m}^2/\text{hour} \times 10 \text{ m}^2 \times 1000 \text{ hours} = \mathbf{1.4 \times 10^{-5} \text{ impacts}}$.

C) Because the number of impacts is vastly less than 1 (a certainty), he should not worry about such deadly impacts unless he had reason to suspect that the scientists miscalculated the impact rates for meteorites this small. Another way to look at this low number is to turn it around and say that the astronaut would have to take $1/ 1.4 \times 10^{-5}$ about 71,000 such 1000-hour moon walks in order for one impact to occur. Alternately, the time between such events is $71,000 \times 1000 \text{ hours} = 71 \text{ million years!}$