# Earth's Rotation Changes and the Length of the Day 

| Period | Age <br> (years) | Days per <br> year | Hours per <br> day |
| :---: | :---: | :---: | :---: |
| Current | 0 | 365 |  |
| Upper Cretaceous | 70 million | 370 |  |
| Upper Triassic | 220 million | 372 |  |
| Pennsylvanian | 290 million | 383 |  |
| Mississippian | 340 million | 398 |  |
| Upper Devonian | 380 million | 399 |  |
| Middle Devonian | 395 million | 405 |  |
| Lower Devonian | 410 million | 410 |  |
| Upper Silurian | 420 million | 400 |  |
| Middle Silurian | 430 million | 413 |  |
| Lower Silurian | 440 million | 421 |  |
| Upper Ordovician | 450 million | 414 |  |
| Middle Cambrian | 510 million | 424 |  |
| Ediacarin | 600 million | 417 |  |
| Cryogenian | 900 million | 486 |  |

We learn that an 'Earth Day' is 24 hours long, and that more precisely it is 23 hours 56 minutes and 4 seconds long. But this hasn't always been the case. Detailed studies of fossil shells, and the banded deposits in certain sandstones, reveal a much different length of day in past eras! These bands in sedimentation and shell-growth follow the lunar month and have individual bands representing the number of days in a lunar month. By counting the number of bands, geologists can work out the number of days in a year, and from this the number of hours in a day when the shell was grown, or the deposits put down. The table above shows the results of one of these studies.

Problem 1 - Complete the table by calculating the number of hours in a day during the various geological eras. It is assumed that Earth orbits the sun at a fixed orbital period, based on astronomical models that support this assumption.

Problem 2 - Plot the number of hours lost compared to the modern '24 hours' value, versus the number of years before the current era.

Problem 3-By finding the slope of a straight line through the points can you estimate by how much the length of the day has increased in seconds per century?

| Period | Age <br> (years) | Days per <br> year | Hours per <br> day |
| :---: | :---: | :---: | :---: |
| Current | 0 | 365 | 24.0 |
| Upper Cretaceous | 70 million | 370 | 23.7 |
| Upper Triassic | 220 million | 372 | 23.5 |
| Pennsylvanian | 290 million | 383 | 22.9 |
| Mississippian | 340 million | 398 | 22.0 |
| Upper Devonian | 380 million | 399 | 22.0 |
| Middle Devonian | 395 million | 405 | 21.6 |
| Lower Devonian | 410 million | 410 | 21.4 |
| Upper Silurian | 420 million | 400 | 21.9 |
| Middle Silurian | 430 million | 413 | 21.2 |
| Lower Silurian | 440 million | 421 | 20.8 |
| Upper Ordovician | 450 million | 414 | 21.2 |
| Middle Cambrian | 510 million | 424 | 20.7 |
| Ediacarin | 600 million | 417 | 21.0 |
| Cryogenian | 900 million | 486 | 18.0 |

Problem 1 - Answer; See table above. Example for last entry: 486 days implies 24 hours $x(365 / 486)=18.0$ hours in a day.

Problem 2 - Answer; See figure below

Problem 3-Answer: From the line indicated in the figure below, the slope of this line is $m=(y 2-y 1) /(x 2-x 1)=6$ hours / 900 million years or 0.0067 hours/million years. Since there are 3,600 seconds/ hour and 10,000 centuries in 1 million years (Myr), this unit conversion yields $0.0067 \mathrm{hr} / \mathrm{Myr} \times(3600 \mathrm{sec} / \mathrm{hr}) \times(1 \mathrm{Myr} / 10,000$ centuries $)=$ 0.0024 seconds/century. This is normally cited as 2.4 milliseconds per century.


